

هيدروليكا ثالثة معاني

Hydraulics 3rd Year Civil

G.V.F.

Hydraulic jump cases

No. 18

OPEN CHANNEL

HYDRAULICS

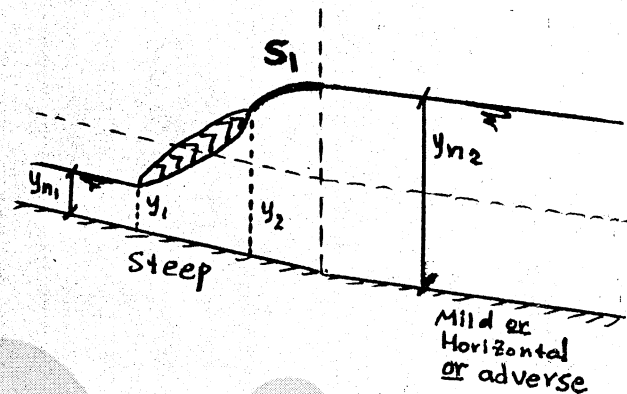


• الحالة الأولى :-

عند تغير الميل من Steep إلى Mild أو Horizontal أو Adverse

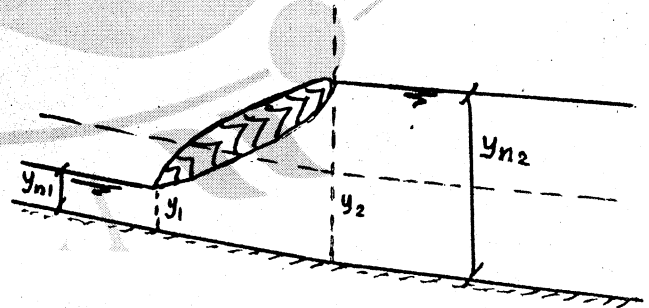
(1) HJ in Steep Zone :

- $y_1 = y_{n1}$
- $y_2 < y_{n2}$
- S_1 Curve is formed



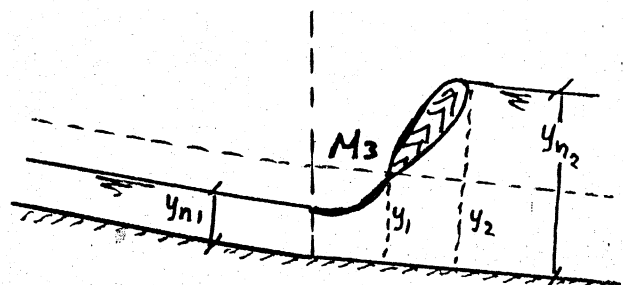
(2) Perfect Jump :

- $y_1 = y_{n1}$
- $y_2 = y_{n2}$
- NO Curves



(3) HJ in Mild or Horizontal Zone :

- $y_1 > y_{n1}$
- $y_2 = y_{n2}$
- M_3 Curve is formed



(2)

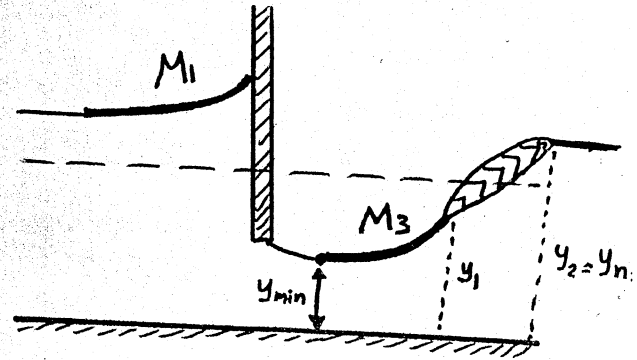


• الحالة الثانية :-

في حالة وجود بوابة على ميل Adverse or Horizon. or Mild

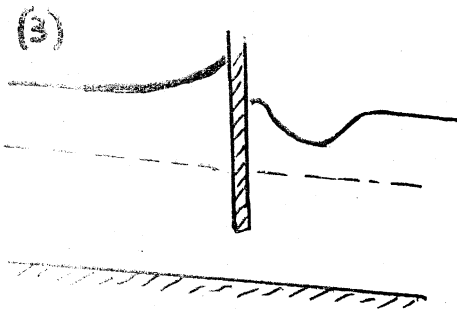
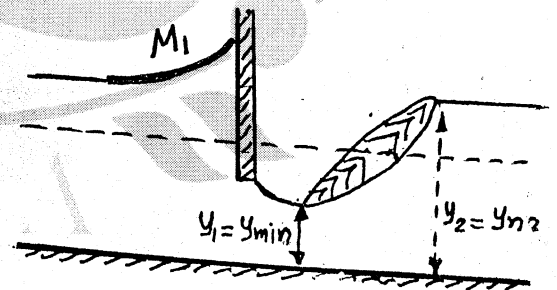
(1) $y_1 > y_{min}$

- $y_2 = y_{n2}$
- $y_1 > y_{min}$
- M_3 Curve is formed



(2) $y_1 = y_{min}$

- $y_2 = y_{n2}$
- $y_1 = y_{min}$
- No Curves



* نعلم فقط هناك حالة غير مقصورة

علينا نحدث عندما يكون $y_2 < y_{n2}$

وتسمى Submerged Jump

③

2
00
1
GoGo

عشان نحل أسئلة G.V.F لابد من:

① حساب التصريف "Q"

1- Manning عن طريقه اولى
معلوم S_n و y_n لنسب ايل

2- critical

عننا معلوم "y_c"

3- H_T

اذا كان معلوم $y_1 < y_c$ ل H_T يمكن
صايف الكروية من لفاده العلم ل H_T

② تحديد نوع ايل في كل منطقة

يتم تحديد نوع ايل في كل منطقة من طريقه
صايف y_1 و y_c ومقارنتها

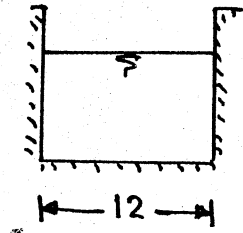
- لو قال محل منحنى "S₂" ← يبقى steep "M₁" ← Mild
- لو قال انه منالك طول uniform ← لا يبلح انه يكون adverse, H_{al}
- لو معطى $S = 10, 15 \times 10^{-5}$ يبقى ميعط Mild
- لو معطى $S = 0.04, S = 0.3$ يبقى ميعط steep

Problem (8) Sh# 5

(4)

Given:

- $b = 12 \text{ m}$
- $S_0 = 15 \times 10^{-5}$
- $Q = 34 \text{ m}^3/\text{s}$
- $\frac{1}{n} = 70 \quad n = 0.0143$
- $y_{\min} = 0.2 \text{ m}$



Req.:

- 1- IS a HJ formed ?
- 2- Distance from gate to Jump.

* SOL:

Get " y_n "

maning

$$34 = 70 * \frac{(12 y_n)^{5/3}}{(12 + 2 y_n)^{2/3}} * \sqrt{15 \times 10^{-5}}$$

by trial:

$$y_n = 2.34 \text{ m}$$

Get " y_c "

$$y_c = \sqrt[3]{\frac{q^2}{g}} = \sqrt[3]{\frac{(34/12)^2}{9}}$$

$$y_c = 0.935 \text{ m}$$

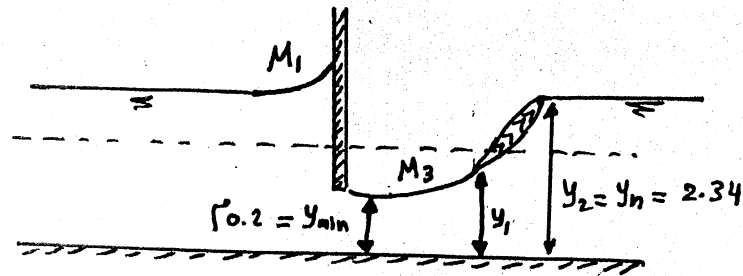
Now

$$* y_n > y_c$$

* ∴ Mild Slope

∴ Yes a HJ will formed DS the gate.

5



• To get "y,"

$$y_2 = y_n = 2.34 \text{ m}$$

$$F_{N2}^2 = \frac{Q^2 T}{A^3 g} = \frac{34 * (12)^2}{9 * (12 * 2.34)^3} = 0.064$$

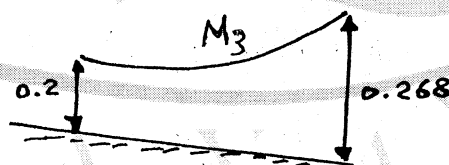
$$y_1 = \frac{y_2}{2} \left[\sqrt{1 + 8 F_{N2}^2} - 1 \right]$$

$$= \frac{2.34}{2} * \left[\sqrt{1 + 8 * 0.064} - 1 \right]$$

$$y_1 = 0.268 \text{ m} > y_{min} \quad \text{OK}$$

∴ M₃ Curve is formed

Distance from gate to Jump = Length of M₃ Curve



y	A	P	R	V	E	ΔE	Se	Se _{av}	ΔS	ΔX	Σ ΔX
0.268	3.22	12.536	0.257	10.572	5.965	0.832 1.511 2.122	0.1402	0.1582 0.2125 0.3077	0.1580 0.2123 0.3076	5.265 7.11 6.899	5.265 12.379 19.278
0.25	3.00	12.500	0.24	11.333	6.797		0.1761				
0.23	2.70	12.450	0.22	12.593	8.307		0.2489				
0.20	2.40	12.400	0.19	14.167	10.429		0.3666				

Distance from gate to jump = 19.278 m

Problem (9) sh # 5

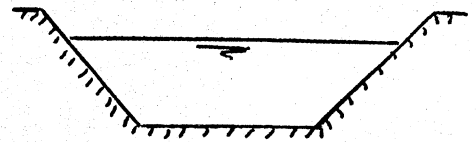
⑥

* Given:

$$b = 12 \text{ m}$$

$$z = 1.5$$

$$n = 0.014$$



Reach ①

$$y_{n1} = 1.413$$

Reach ②

$$S_2 = 10 \times 10^{-5}$$

Flow is uniform
for 1 km

Reach ③

$$y_{n3} = 0.624 \text{ m}$$

$$S_3 = 0.004$$

* Req:-

1- water surface profile. find y_n, S for each reach

2- Length of Non-uniform flow in 2nd reach

[3 Sections only]

* SOL:-

• Get "Q"

Reach (3) maning

$$Q = \frac{1}{0.014} * \frac{[0.624(12 + 1.5 * 0.624)]^{5/3}}{[12 + 2 * 0.624 \sqrt{1 + 1.5^2}]^{2/3}} * \sqrt{0.004}$$

$$Q = 24,965 \text{ m}^3/\text{s}$$

• Get "y_{n2}"

Reach (2) maning

$$24,965 = \frac{1}{0.014} * \frac{[y_2(12 + 1.5 * y_2)]^{5/3}}{[12 + 2 y_2 \sqrt{1 + 1.5^2}]^{2/3}} * \sqrt{10 * 10^{-5}}$$

by trial

$$y_2 = 1.820 \text{ m}$$

(7)

• Get " S_1 "

Reach (1) maning

$$24,965 = \frac{1}{0.014} * \frac{[1.413(12+1.5*1.413)]^{5/3}}{[12+2*1.413\sqrt{1+1.5^2}]^{2/3}} * \sqrt{S_1}$$

$$S_1 = 22 * 10^{-5}$$

• Get " y_c "

$$\frac{Q^2 T}{A^3 g} = 1$$

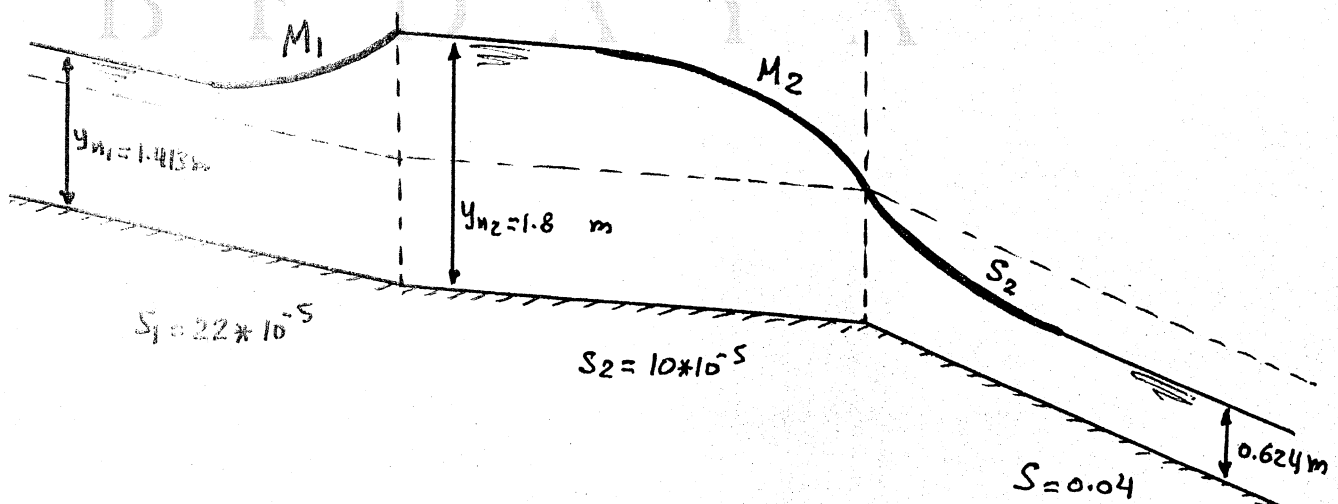
$$\frac{(24,965)^2 * (12+2*1.5*y_c)}{[y_c(12+1.5*y_c)]^3 * g} = 1$$

By trial:

$$y_c = 0.737 \text{ m}$$

• NOW

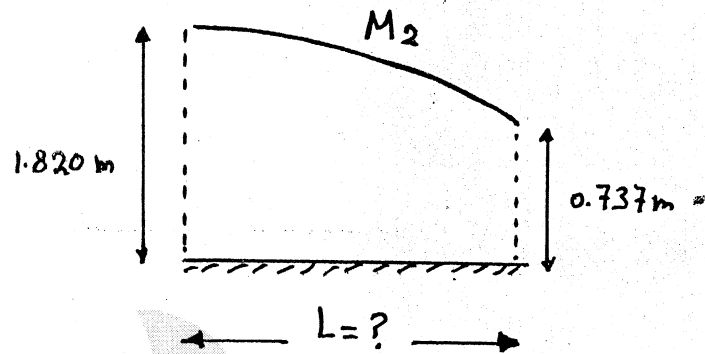
- Reach ① $\rightarrow y_{n1} > y_c \rightarrow$ Mild
- Reach ② $\rightarrow y_{n2} > y_c \rightarrow$ Milder
- Reach ③ $\rightarrow y_{n3} < y_c \rightarrow$ Steep



[B]

⑧

Length of Non-uniform in Reach ② = Length of M_2



y	A	P	R	V	E	Δy	Se	Se_{av}	ΔS	ΔX	X
1.82	26.84	18.569	1.44	0.93	1.866	0.691	10,37	45,86	35,86	1928,45	1928,84
1.00	13.5	15.61	0.865	1.85	1.17		81,34				
0.737	9.67	14.66	0.659	2.58	1.077	0.096	227,39	154,37	144,37	67,00	1995,85

Length of $M_2 = 1995,85 \text{ m}$

$= 1,995 \text{ Km}$

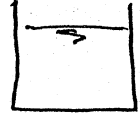
Problem (16) $S_b \neq S$

⑨

Given:

$$b = 8 \text{ m}$$

$$n = 0.025$$



<u>Reach ①</u>	<u>Reach ②</u>	<u>Reach ③</u>
$S = 0.04$	$S = 33 \times 10^{-5}$ $y_n = 3.0 \text{ m}$ uniform for 1km	$y_n = 0.8 \text{ m}$

Req.:

- 1- water surface profile (y_n , HT)
- 2- height of HT
- 3- Non-uniform length in Reach ①

SOL.:

• Get "Q"

maning Reach ②

$$Q = \frac{1}{0.025} * \frac{(8*3)^{5/3}}{(8+2*3)^{2/3}} * (33*10^{-5})^{1/2}$$

$$Q = 25 \text{ m}^3/\text{s}$$

• تصنيف الميل :

• Get " y_{n1} "

maning

$$25 = \frac{1}{0.025} * \frac{(8y_{n1})^{5/3}}{(8+2y_{n1})^{2/3}} * (0.04)^{1/2}$$

by trial

$$y_{n1} = 0.6 \text{ m}$$

• Get " y_c "

(10)

$$y_c = \sqrt[3]{\frac{q^2}{g}} = \sqrt[3]{\frac{(25/8)^2}{g}}$$

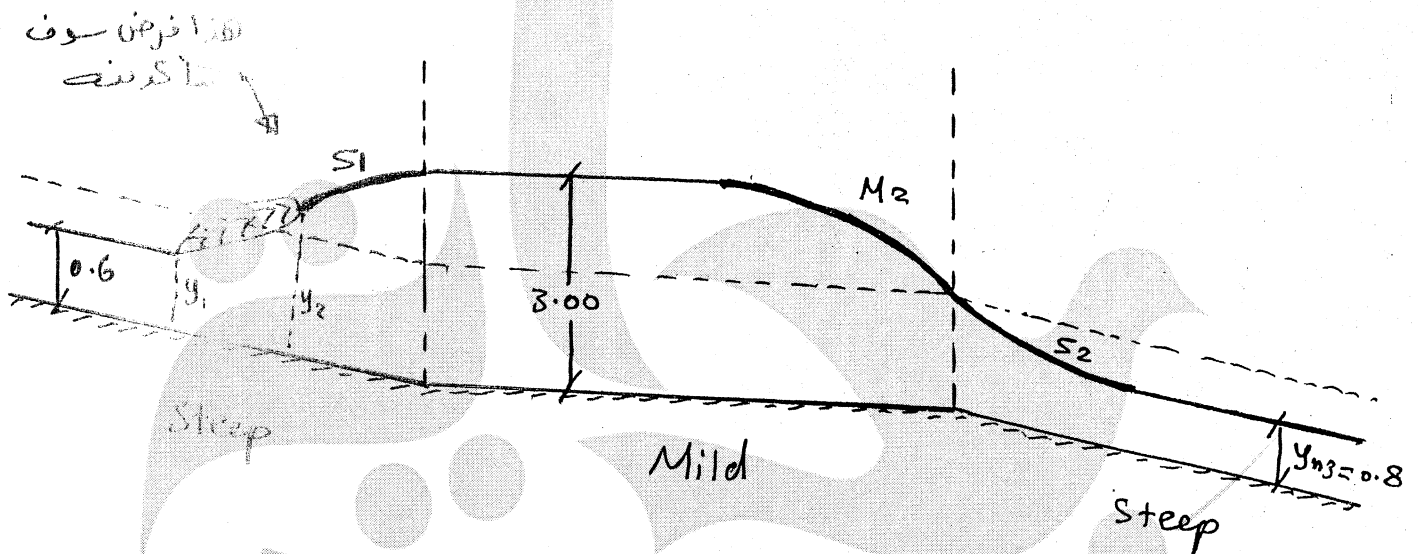
$$y_c = 1.00 \text{ m}$$

• NOW..

Reach ① $\rightarrow y_{n1} = 0.6 < y_c \rightarrow \infty$ Steep

Reach ② $\rightarrow y_{n2} = 3 > y_c \rightarrow \infty$ Mild

Reach ③ $\rightarrow y_{n3} = 0.8 < y_c \rightarrow \infty$ Steep



تم فرض أن الـ Jump حدث في الميل الـ steep

$$\therefore y_{n1} = y_1 = 0.6 \text{ m}$$

$$F_{r1} = \frac{V}{\sqrt{gy}} = \frac{25/0.6 \times 8}{\sqrt{9.81 \times 0.6}} = 2.1467$$

$$y_2 = \frac{y_1}{2} \times [\sqrt{1 + 8F_{r1}^2} - 1] = \frac{0.6}{2} [\sqrt{1 + 8 \times 2.1467^2} - 1]$$

$$y_2 = 1.55 \text{ m} < y_{n2}$$

هو الفرض صحيح

تذكر لو كان الـ Jump حدث في منطقة الـ mild كان

$$y_1 > y_{n1}$$

NOTE

[2]

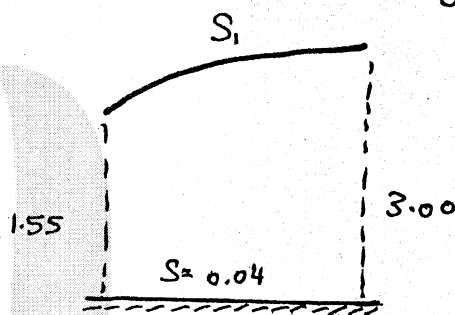
$$H_J = y_2 - y_1$$

$$= 1.55 - 0.6 = 0.95 \text{ m}$$

②

[3]

Non uniform length = Jump طول + S_1 طول
 \downarrow \downarrow
 L_J من اكدول



y	A	P	R	V	E	ΔE	$Se \cdot 10^{-5}$	$Se_{av} \cdot 10^{-5}$	$\Delta S \cdot 10^{-5}$	ΔX	$\Sigma \Delta X$
1.55	12.40	11.10	1.117	2.016	1.757	0.115	219.172	193.045	3806.95	3.02	3.02
1.70	13.60	11.40	1.193	1.838	1.872		166.918				
1.85	14.80	11.70	1.265	1.689	1.995	0.123	130.357	81.706	3918.29	27.05	33.27
3.00	24.00	14.00	1.714	1.042	3.055		33.054				

$$L(S_1) = 33,3 \text{ m}$$

$$L_J = 5(y_2 - y_1) = 5(1.55 - 0.6) = 4,75 \text{ m}$$

$$\therefore \text{Non-Uniform length} = 33,3 + 4,75$$

$$= 38,05 \text{ m}$$

TRIAL EXAM

QUESTION I11 DEC. 2000 A discharge of $20 \text{ m}^3/\text{sec}$ is flowing in a rectangular channel. At section (1), the bed width equals 12.0 m and the water depth $= 3.0 \text{ m}$. The channel bed width is gradually contracted to reach a bed width of 9.0 m at section (2). Within the contracted zone, the bed level is gradually raised by a vertical distance Z . The water depth at section (2) is 1.95 m . Determine:

- A. The value of Z
- B. The minimum rise in bed so that you have y_c at the downstream.
- C. The water depth at section (2) if the rise in bed equals 2.0 m
- D. Sketch the specific energy and discharge curves for case A & B

QUESTION I21 FINAL. 2008 For a constant specific energy of 2.0 m , what is the maximum flow may occur in a rectangular channel 3.0 m wide?

QUESTION I31 FINAL 2008 Determine the regime of flow (sub or super or critical) in the following cases:

- A. The regime of flow upstream the hump if the flow depth over a hump is less than the water depth upstream the hump.
- B. The regime of flow upstream the rising bed level and expanding bed width in the same location if the depth of flow over a raised bed level and expanded bed width is less than the water depth just upstream the variation.
- C. The regime of flow over the hump if the flow depth upstream the hump is greater than the normal water depth.
- D. The regime of flow just downstream the hydraulic jump.

QUESTION I51 Trapezoidal channel of bed width 6.0 m and side slope $2:1$ and longitudinal slope 8 cm/km and roughness coefficient 0.013 if the froude number Was 0.15 , find:

- A. The alternate depths.
- B. The Froude number in the super critical flow case.
- C. Compare the values of the average boundary shear stress in cases of sub and super flow considering the channel section is wide.

QUESTION I61 FINAL 2009 Sketch the water surface profile when the channel bed slope is changed according to the following:-

A. $(-S_c)$ to $(0.8 S_c)$ to $(S=0)$

B. Adverse to Horizontal to steep



Question (1):

- A. Discuss the effect of changing the value of the design velocity on the obtained values of the bed width and water depth of an open channel.
- B. Give neat sketches showing:
 - For an open channel, the relationship between the water depth and:
 - Water area (A).
 - Discharge (Q).
 - For a circular pipe, the relationship between the water depth and:
 - Mean velocity (V).
 - Discharge (Q).

Question (2):

A trapezoidal channel of bed width 10.0 m, side slope 3:2, longitudinal bed slope 10 cm/km, mean velocity 0.594 m/sec, and Manning coefficient 0.025. Determine:

- A. The average boundary shear stress acting on the channel wetted perimeter.
- B. Estimate the passing discharge.
- C. The maximum boundary shear stress on the bed and side.
- D. If the mean diameter of the material forming the channel bed and sides is 0.4 mm and the angle of repose is 35°, what is the maximum discharge that can pass in this channel without causing scour?

$$(\tau_b)_{cr} = 0.0491d_s^{0.8371}, (\tau_s)_{max} = 0.77\gamma yS \text{ and } (\tau_b)_{max} = 0.98\gamma yS.$$

Question (3):

Two identical pumps are connected in parallel, each pump is connected to a delivery pipeline of length 400 meters and diameter 30 cm. The sum of minor losses coefficient for each pipe is 2. At the end of these two pipelines, they are connected together to form a single pipeline of diameter 50 cm and length 600 meter. The sum of minor losses coefficient for this third pipeline is also 2. The static head is 10 meters, The pump characteristic for each of the two pumps is given in the following table:

Q in m ³ /hour	0	100	200	300	400	500	800	700
H in meters	29.06	27.91	26.74	25.13	22.66	18.91	13.46	5.89

After several years of operation it was required to increase the rate of flow in the 50 cm diameter pipeline. The same two pumps in parallel are to be used and the two first pipelines of diameter 30 cm and length 400 meters are to be replaced by a new single pipeline of length 400 meters and diameter 80 cm. Determine the percentage increase in the rate of flow. Consider the friction factor f is constant for all pipes = 0.018. Neglect hydraulic losses in the suction pipe.

Good Luck and Best Wishes,
Dr. Haytham Mamdouh Awad

A storm water channel is constructed in a mountain area to convey storm water to a river. The channel is of rectangular section of bed width 20.0 meters, and consists of two reaches of different longitudinal bed slopes. The slope of the first reach is 0.10, while the slope of the second reach is 325 cm/km. In the second reach the normal water depth is 3.0 meters and the flow is uniform for a distance of 2 kilometers. At the end of the second reach water is spilled to the river, and the water depth at the brink is 2.80 meters. Considering Manning roughness coefficient to be 0.03, you are requested to carry out the following:

- Sketch the water surface profile along the two reaches giving values of water depths at the beginning and end of each water surface profile.
- Determine the length of the G.V.F profile ending at the brink. Consider only three sections.

H.W.

A storm water channel is constructed in a mountain area to convey storm water. The channel is rectangular of constant bed width of 10.0 meters and consists of three reaches of different longitudinal bed slopes. The second reach is horizontal, while the bed slope of the third reach is two times the critical slope.

In the first reach a hydraulic jump is formed with an initial water depth of 0.50 meter.

The water depth at the beginning of the horizontal reach is 2.50 meters, while the water depth at the end of the horizontal reach is 1.08 meter.

Considering $n = 0.03$ for all reaches. Determine:

- The conjugate depths of the hydraulic jump.
- The normal water depth in the third reach.
- Sketch the water surface profile along the three reaches showing names of profiles, values of : normal water depths (y_{n1} , y_{n3}), water depths at the beginning and end of each reach, and conjugate depths.

A storm water channel is constructed in a mountain area to convey storm water. The channel is rectangular of constant bed width of 8.0 meters and consists of three reaches of different longitudinal bed slopes. The following data are available:

- For the first reach: The bed slope is 0.040.
- For the second reach: The bed slope is 33 cm/km, the normal water depth is 3.0 meters and the flow is uniform for a distance of 1.50 kilometer.
- For the third reach: The normal water depth is 0.80 meter.

You are requested to carry out the following:

- Sketch the water surface profile along the three reaches showing values of normal water depths and water depths at the beginning and end of each reach and hydraulic jump.
- The height of the hydraulic jump.
- Determine the length in which the flow is non-uniform in the first reach. Arrange your answer in a table.

Take Manning's coefficient $n = 0.025$ for the three reaches.